

$$= \frac{1}{\sqrt{\pi}} \left(\frac{1}{\sqrt{\pi}} \int_{-\infty}^{\infty} e^{-t^2} dt \right) = \frac{1}{\sqrt{\pi}} \cdot \frac{1}{\sqrt{\pi}} \cdot \sqrt{\pi} = \frac{1}{\sqrt{\pi}}$$

Title of Invention: SUTURE METHOD

This application is a continuation in part of 09/896,455 2001-06-29 US Pending

Primary Citizenship:	US
Given Name:	Andrew
Family Name:	Kaplan
Residence City:	Hillsborough
Residence State:	NC
Residence Country:	US
Address:	1027 Crown Court Hillsborough NC, 27278 US

Page 1 of 2

$$-\frac{1}{\sqrt{\pi}} \left[\int_0^x \frac{f(t)}{(x-t)^{1/2}} dt + \int_x^\infty \frac{f(t)}{(t-x)^{1/2}} dt \right] = \frac{1}{\sqrt{\pi}} \left[\int_0^x \frac{f(t)}{(x-t)^{1/2}} dt + \int_x^\infty \frac{f(t)}{(t-x)^{1/2}} dt \right]$$

Chapel NC, 27514 US

Primary Citizenship:	US
Given Name:	Jeffrey
Middle Name:	C.
Family Name:	Leung
Residence City:	Raleigh
Residence State:	NC
Residence Country:	US
Address:	4413 White Chapel Way Raleigh NC, 27615 US

Primary Citizenship:	US
Given Name:	Matthew
Middle Name:	A.
Family Name:	Megaro
Residence City:	Chapel Hill
Residence State:	NC
Residence Country:	US
Address:	118 Stoneridge Drive Chapel Hill NC, 27514 US